

Chapter 17

Acid – Base Equilibria & Solubility Equilibria

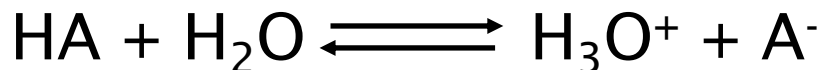


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Buffer Solutions (Buffers)

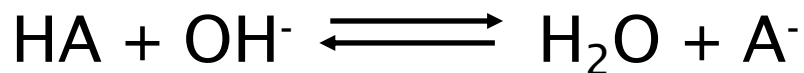
Solutions that resist changes in pH when small amounts of acid or base are added

- Must contain a weak acid or base **and**
- The conjugate (salt) of the weak acid or base
- i.e. Contain a weak conjugate acid/base pair
- pH is controlled by equilibrium [K_a (or K_b)]

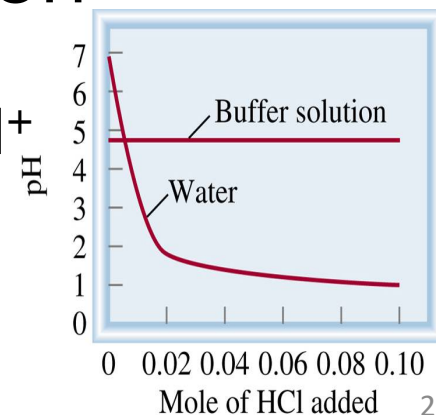
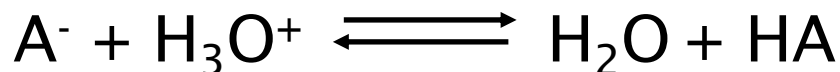


When small amounts of a strong acid or base are added:

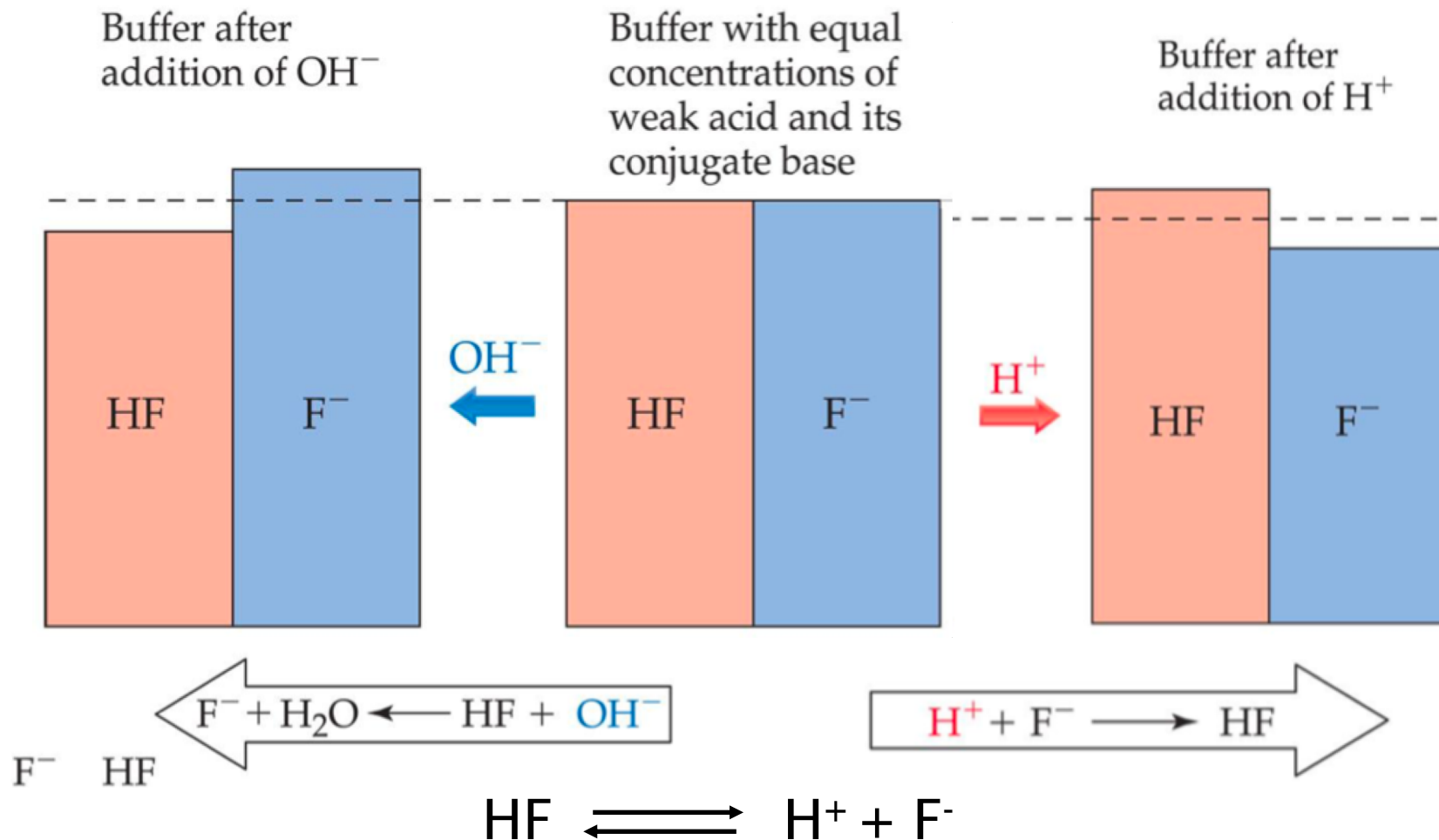
- Acidic species in buffer neutralizes added OH^-



- Basic species in buffer neutralizes added H^+



How Buffers Work – Le Châtelier's Principle



- Add OH^- , reduce H^+ , shift equilibrium toward conj. Base
 - OH^- will react with H^+ to form water
- Add H^+ , shift equilibrium toward undissociated acid

Henderson-Hasselbalch Equation

$$\text{pH} = \text{pK}_a + \log \frac{[\text{A}^-]}{[\text{HA}]}$$

Comes from the equilibrium expression for: $\text{HA} \rightleftharpoons \text{H}^+ + \text{A}^-$

$$K_a = \frac{[\text{H}^+][\text{A}^-]}{[\text{HA}]} \quad \Longrightarrow \quad K_a = [\text{H}^+] \frac{[\text{A}^-]}{[\text{HA}]}$$

Take the $-\log$ of both sides:

$$-\log K_a = -\log [\text{H}^+] + -\log \frac{[\text{A}^-]}{[\text{HA}]}$$

pK_a points to $-\log K_a$
 pH points to $-\log [\text{H}^+]$
Conj. base points to $[\text{A}^-]$
acid points to $[\text{HA}]$

Therefore:

$$\text{pK}_a = \text{pH} + -\log \frac{[\text{A}^-]}{[\text{HA}]}$$

For bases:

$$\text{pOH} = \text{pK}_b + -\log \frac{[\text{BH}^+]}{[\text{B}]}$$

Rearrange to get Henderson-Hasselbalch

Using the Henderson–Hasselbalch Equation

1. A 1.00L buffer solution is prepared that contains 0.150M nitrous acid and 0.200M sodium nitrite. What is its pH?

$$K_a = 7.2 \times 10^{-4}$$

Ice Table Method

$$\text{pH} = 3.27$$

Using the Henderson–Hasselbalch Equation

1. A 1.00L buffer solution is prepared that contains 0.150M nitrous acid and 0.200M sodium nitrite. What is its pH?

$$K_a = 7.2 \times 10^{-4}$$

H-H equation method:

$$\text{pH} = 3.27$$

Using the Henderson–Hasselbalch Equation

2. How many grams of sodium lactate ($\text{CH}_3\text{CH}(\text{OH})\text{COONa}$) should be added to 1.0L of a 0.150M lactic acid ($\text{CH}_3\text{CH}(\text{OH})\text{COOH}$) to form a buffer solution with $\text{pH}=4.00$?
 $K_a = 1.4 \times 10^{-4}$; molar mass of sodium lactate = 112.1 g/mol

Buffer Capacity

Buffer Capacity: The amount of acid or base a buffer can neutralize before there is a significant change in pH.

- Ratio of weak base to weak acid ($[A^-]/[HA]$) should be between 0.1 & 10.
- Most effective when $[A^-] = [HA]$ (i.e. ratio = 1)
 - Equal ability to neutralize acids & bases
- Buffer capacity depends on:
 - K_a of the acid
 - Concentration of buffer components
 - More concentrated = higher capacity

$$pH = pK_a + \log \frac{[A^-]}{[HA]}$$

pH Range

pH Range: The range of pH values over which a buffer system works effectively

- Best to choose an acid with a pK_a close to the desired pH
- If $[A^-] = [HA]$, then $pH = pK_a$

$$\boxed{pH = pK_a + \log \frac{[A^-]}{[HA]}} \quad \log(1) = 0$$

- Buffer generally usable withing ± 1 pH unit of the pK_a

Criteria for Making a Buffer

1. Choose a weak acid & conjugate base

- Must have the same anion!
 - ex. HNO_2 & NaNO_2 ; HF & LiF

2. Select acid based on desired pH range

- $\text{pK}_a < 7$ buffer is acidic; $\text{pK}_a > 7$ buffer is basic
- Buffers can usually be adjusted to ± 1 desired pH

3. Buffer salts (conjugate base) must be soluble & dissociate completely

- Most commonly sodium or potassium salts
- NH_4^+ salts are acidic because NH_4^+ dissociates

4. Concentrations of $[\text{HA}]$ & $[\text{A}^-] > 0.01\text{M}$

- Must be able to neutralize sufficient acid/base
- Can use ICE table to get an idea of what concentration is needed.

Acid/Base

☒ $\text{HC}_2\text{H}_3\text{O}_2$

Molarity $\times 10^{-2}$ M

Volume mL

Salt

☒ $\text{NaC}_2\text{H}_3\text{O}_2$

Molarity $\times 10^{-2}$ M

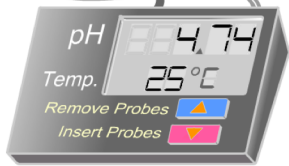
Volume mL

Prepare your buffered solution:

1. Pick Acid/Base and Salt,
2. Set their molarities,
3. Set their volumes,
4. Test the pH value for the solution using pH meter.

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Buffered Solution



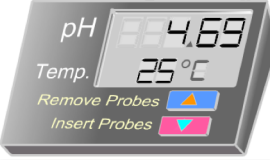
[Go to Part I](#)

Acid

☒ HCl

In water:
pH = 1.9

Buffered Solution



Mole

$\times 10^{-3}$ Mole

(You can also key in the value in the box .)
(neglect any volume change when mixing solutions)

[Go to Part I](#)

Test Solutions

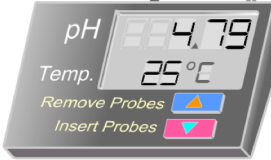
☒ Acid

Base

☒ NaOH

In water:
pH = 12.1

Buffered Solution



Mole

$\times 10^{-3}$ Mole

(You can also key in the value in the box .)
(neglect any volume change when mixing solutions)

[Go to Part I](#)

Test Solutions

☒ Base

<https://pages.uoregon.edu/tgreenbo/pHbuffer20.html>

Buffer calculations

1. A 1.0 L buffer solution contains 0.150 M nitrous acid and 0.200 M sodium nitrite. $K_a = 7.2 \times 10^{-4}$ (a) What is the pH of the buffer? (b) What is the pH after adding 1.00 g HBr?

A: (a) 3.27
(b) 3.21

Buffer calculations

2. A buffer is made by adding 0.600 mol CH_3COOH and 0.600 mol CH_3COONa to enough water to make 2.00L of solution. $K_a = 1.8 \times 10^{-5}$.

(a) What is the pH of the buffer? A: 4.74

(b) Calculate the pH after 0.040 mol HCl is added. A: 4.69

(c) Calculate the pH after 0.040 mol NaOH is added. A: 4.80